

Massachusetts Institute of Technology

“Enabling Fast Flexible Planning through Incremental Temporal Reasoning with Conflict Extraction”

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Model-Based Embedded and Robotic Systems

We Need Fast, Flexible, and Reliable Planning

ATRV Rover Testbed

Robonaut Simulator

Kirk Planner

combines:

Contingency Planning

- Redundant Methods
TPN (Kim, Williams, Abrahamson 01)
- Conflict-directed Plan Repair
Dynamic Backtracking (Ginsberg 96)

Temporally Flexible Planning

- Flexible Execution Times
STN (Dechter, Meiri, Pearl, 91)
- Incremental Reasoning
(Cesta, Oddi 96) and many others
- Conflict Extraction
(Shu, Effinger, Williams 05)

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ITC Algorithm

Flexible Execution Times

(Dechter, Meiri, Pearl 91)

Simple Temporal Network (STN):

$T_j - T_i \in [1,5]$

Equivalent Distance Graph Representation:

STN $T_j - T_i \in [l, u] \Rightarrow T_j - T_i \leq u \wedge T_i - T_j \leq -l$ Distance Graph

Flexible Execution Times

(Dechter, Meiri, Pearl 91)

A Simple STN:

Consistent !

Determine STN consistency:

- Calculate the Single Source Shortest Path (polynomial-time algorithm)

Flexible Execution Times

(Dechter, Meiri, Pearl 91)

A Simple STN:

Inconsistent STN !

Determine STN consistency:

- Calculate the Single Source Shortest Path (polynomial-time algorithm)
- A continually looping negative cycle indicates an inconsistency in STN

Two methods to detect a continually looping negative cycle

- 1.) Check for any d-value to drop below $-nC$. (most space efficient)
- 2.) Keep an acyclic spanning tree of support, and terminate when a self-loop is formed. (Cesta, Oddi 96) (most time efficient)

Kirk Planner: Overview

combines:

Contingency Planning

Temporally Flexible Planning

Kirk Planner

- Flexible Execution Times
- Incremental Reasoning
- Conflict Extraction

- Redundant Methods
- Conflict-directed Plan Repair

ITC Algorithm

ITC Algorithm

- Basic Idea:
 - 1.) Keep dependency information for each shortest-path value in the distance graph (Cesta, Oddi 96)
 - 2.) Use incremental update rules to localize necessary changes to the distance graph.
 - a.) 3 Update Rules to change a consistent distance graph.
 - b.) 3 Update Rules to repair an inconsistent distance graph.
- ITC's Novel Claims:
 - 1.) A conflict extraction mechanism to guide plan repair
 - 2.) Allow multiple arc-changes
 - 3.) Can repair inconsistent distance graphs incrementally

3 Update Rules to Change a Consistent Distance Graph

d = shortest path value
 p = supporting node
 (Cesta & Oddi 96)

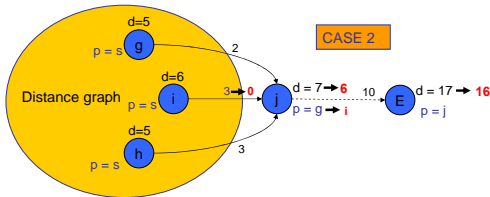
- Keep track of the support for each shortest path value
- Given a consistent STN, changing Arc(i, j)'s cost can have three possible effects on the shortest path.
 1. Arc(i, j) change does not affect the shortest path to node j .
 2. Arc(i, j) change improves the shortest path to node j .
 3. Arc(i, j) change invalidates the shortest path to node j .

1.) Arc(i, j) change does not affect shortest path

d = shortest path value
 p = supporting node

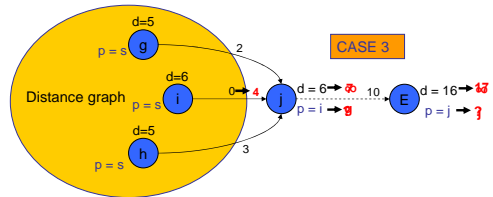
- The cost from node i to node j increases from 2 to 3.
- No changes are needed.

2.) Arc(i,j) change improves shortest path to j



- The cost from node i to node j decreases from 3 to 0.
- Propagate the improved shortest path.

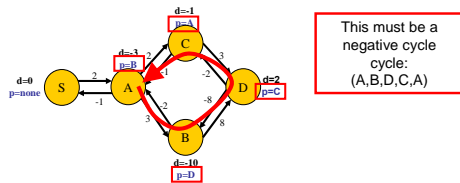
3.) Arc(i,j) change invalidates shortest path to j



- Increasing Arc(i,j) now invalidates node j 's shortest path.
- Reset node j
- Recursively reset nodes dependent upon node j .
- Insert node j 's parents into the queue so that a new path to node j can be found for node j and all other invalidated nodes.

3 Update Rules to repair an Inconsistent distance graph

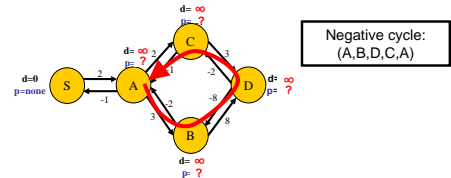
- ITC discovers an inconsistency (a negative cycle) by detecting cyclically dependent backpointers.



This must be a negative cycle:
(A,B,D,C,A)

3 Update Rules to repair an Inconsistent distance graph

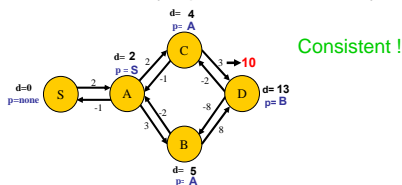
- Now ITC must incrementally repair the inconsistency.



- Three repair steps:
 - Reset all nodes in negative cycle.
 - Recursively reset all nodes that depend on the negative cycle nodes.
 - Put any parent of a reset node that was not also reset on the Q.

3 Update Rules to repair an Inconsistent distance graph

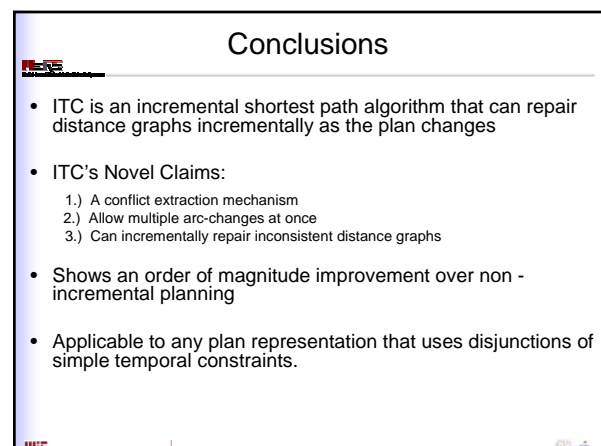
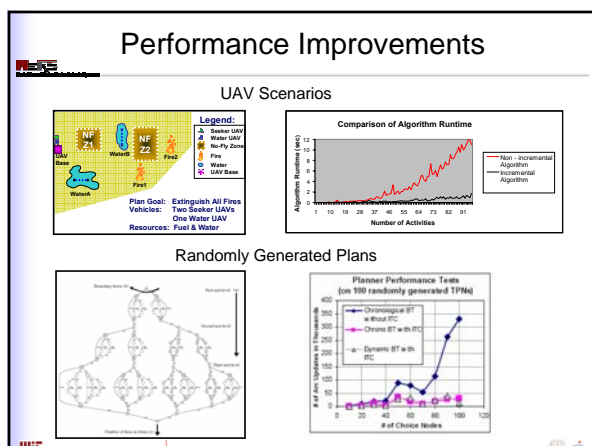
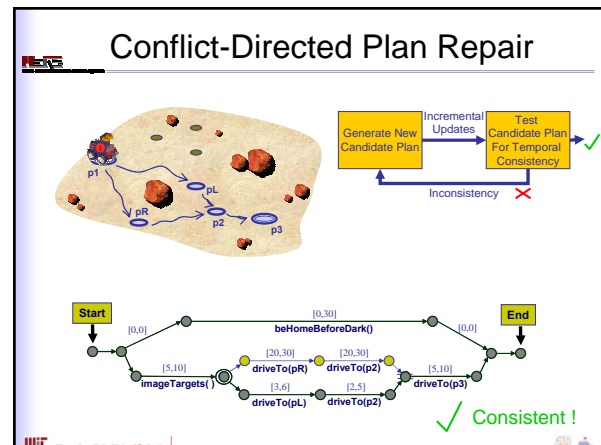
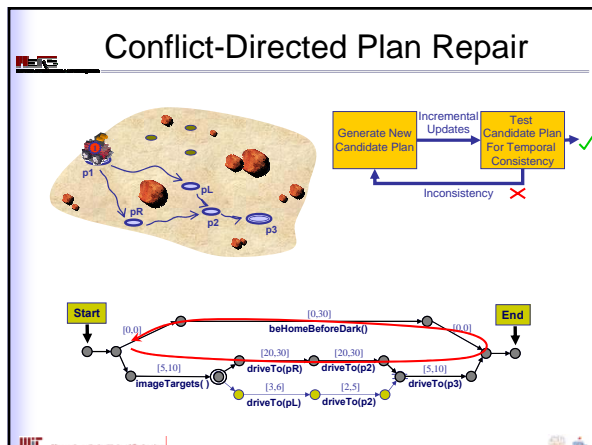
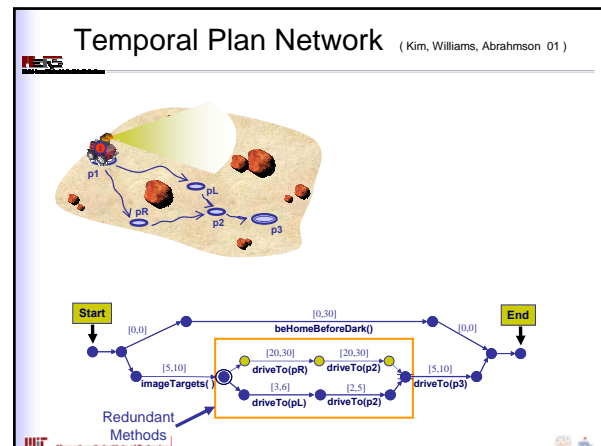
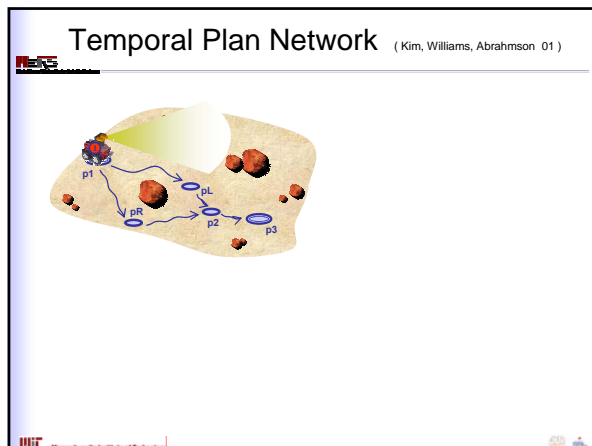
- Now ITC must incrementally repair the inconsistency.



- Change arc cost CD to 10.
- Propagate the new shortest path values

Kirk Planner: Overview





Any Questions?

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