











Other Formulations	
DLP: Minimize $f(x)$ Subject to $g(x) \le 0$ $x_t \le x_L \lor x_t \ge x_R \lor y_t \le y_B \lor y_t \ge y$ $\forall t = 1,, n$	Binary Integer Program (BIP): $\begin{array}{l} Minimize \ f(x) \\ Subject \ to \ g(x) \leq 0 \\ x_t - x_L \leq M(1 - b_n) \\ x_t - x_R \geq M(b_2 - 1) \\ y_t - y_R \leq M(1 - b_n) \end{array}$
LCNF [Wolfman-IJCAI-99] "Trigger" linear inequalities with propositiv Mixed Logical Linear Programs (N [Hooker-JDAM-99] Generalization from LCNF	$\begin{array}{l} y_t, y_t \geq M(b_{tt}-1) \\ \text{onal variables} \sum_{j=1,\ldots,4}^{} b_{tj} \geq 1 \\ \texttt{ALLPS}) \qquad b_0 \in \{0,1\}, \ \forall j=1,\ldots,4 \\ \forall t=1,\ldots,n \end{array}$
- optimization - variables over finite domain - logic forms other than CNF	





























Future Work

- Run GCD-BB on a range of well-known benchmark problems, and compare its actual runtime against that of BIP-BB.
- Study empirically the reason why sub-optimality conflicts do not speed up search as much as infeasibility conflicts.
- Apply GCD-BB to a more general form of HDLOPs than DLPs.
- Extend conflict learning to non-linear programming.